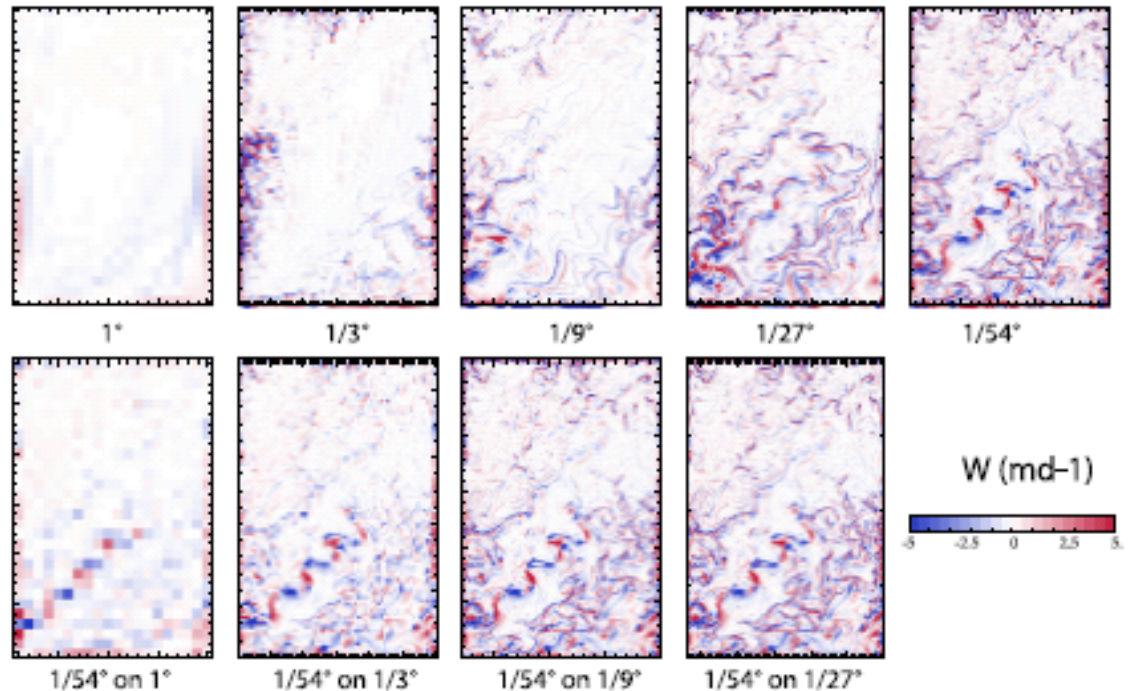


Why using coarsening ?

Why using coarsening ?

- The "effective resolution" of eddying ocean models is much coarser than the physical model grid resolution
- tracer transport can be reconstructed to a large extent by computing tracer transport and diffusion with a model grid resolution close to the effective resolution of the physical model.



model snapshot of vertical velocity at 40m simulated with increasing grid resolution (top) and with a resolution of 1/54 degraded on coarser resolution grids (bottom)

Grid degradation of submesoscale resolving ocean models: Benefits for offline passive tracer transport, M. Lévy , L. Resplandy, P. Klein, X. Capet, D. Iovino, C. Ethé, Ocean Modelling , 2012, <https://doi.org/10.1016/j.ocemod.2012.02.004>

Why using coarsening ?

- Ocean mesoscale and submesoscale turbulence contribute to ocean tracer transport and to shaping ocean biogeochemical tracers distribution
- Climate simulation and ocean forecasting : need to increase resolution

- Technological limitations

TOP-PISCES: 24 tracers

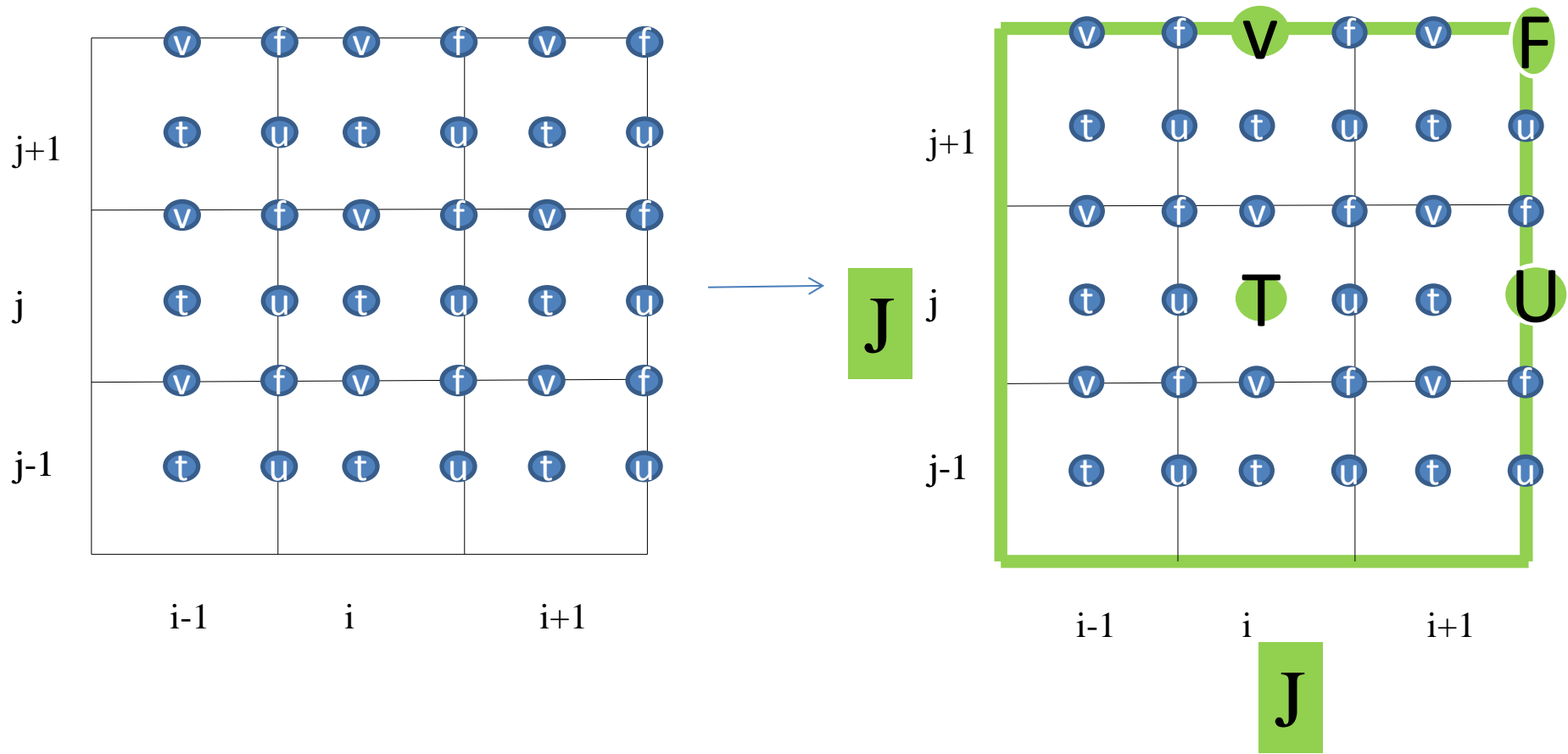
OPA-LIM: T+S+U+V+(2D+icemod) = 5 3D-fields

→ Storage: TOP-PISCES = 5 * (OPA-LIM)

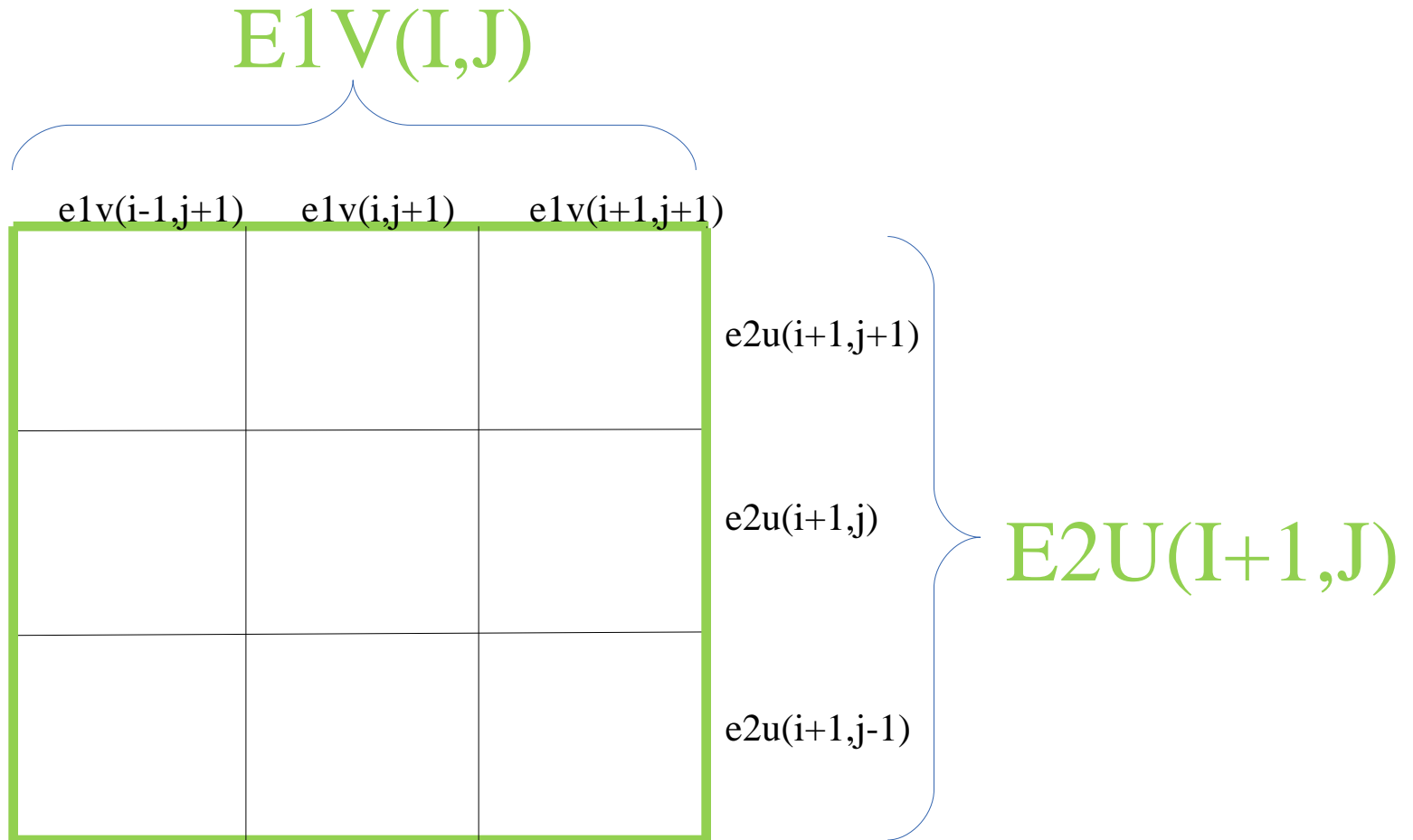
→ CPU cost: TOP-PISCES = 3 * (OPA-LIM) (Need to advect 24 tracers)

Coarsening methodology

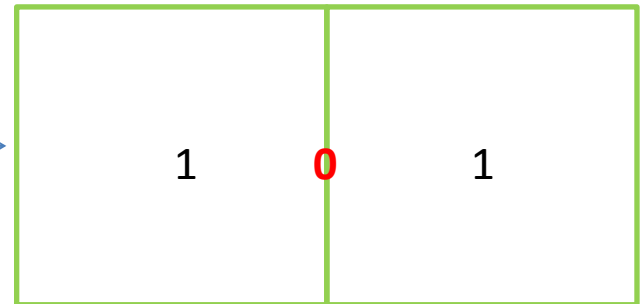
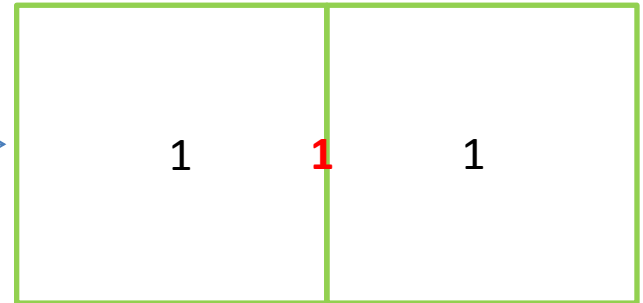
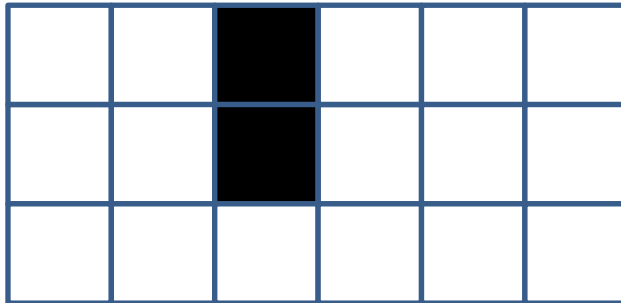
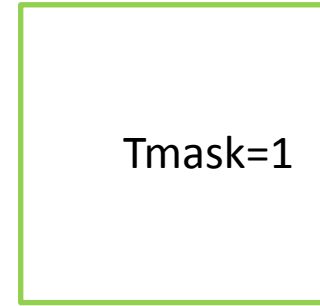
Coarsening methodology: Longitude and latitudes construction



Coarsening methodology: Horizontal scale factors construction

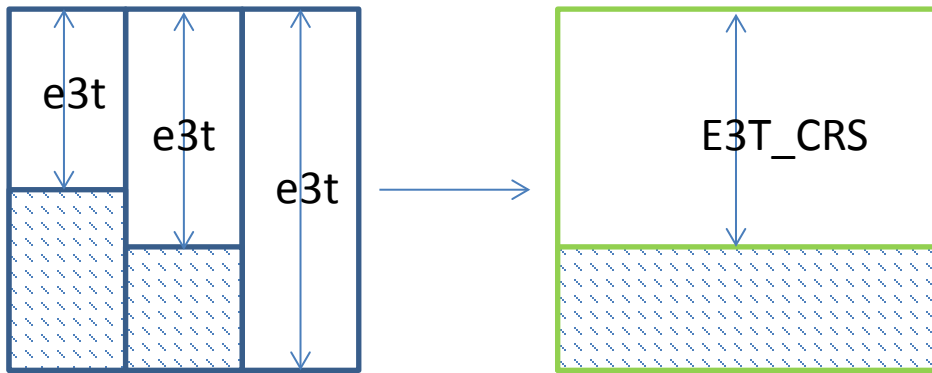


Coarsening methodology: Masks construction



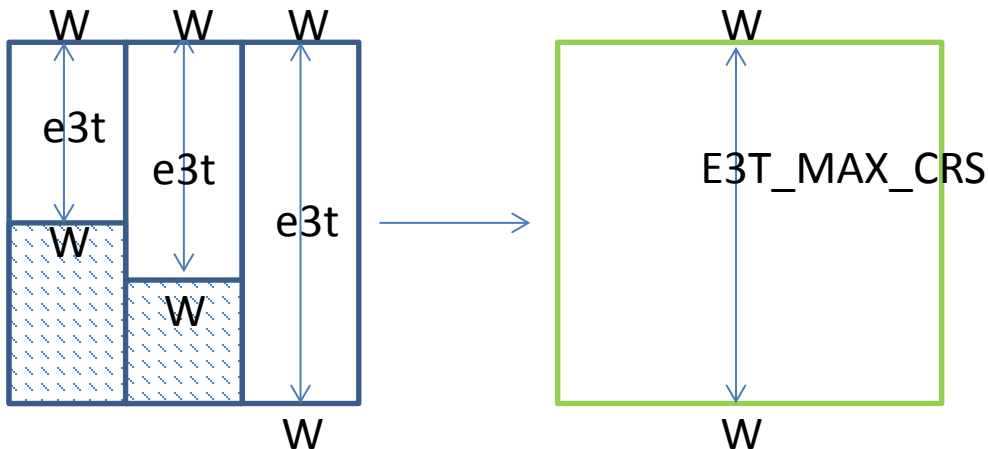
Coarsening methodology: Vertical scale factors construction

- Divergence operator (volume conservation):



$$E3T_{CRS} = \frac{1}{e1t_{crs} * e2t_{crs}} * \sum e1t * e2t * e3t$$

- Gradient operator (distance conservation):



$$E3T_{CRS} = MAX(e3t)$$

Coarsening methodology: Physical variables construction(1)

- Temperature and salinity: weighted volume mean

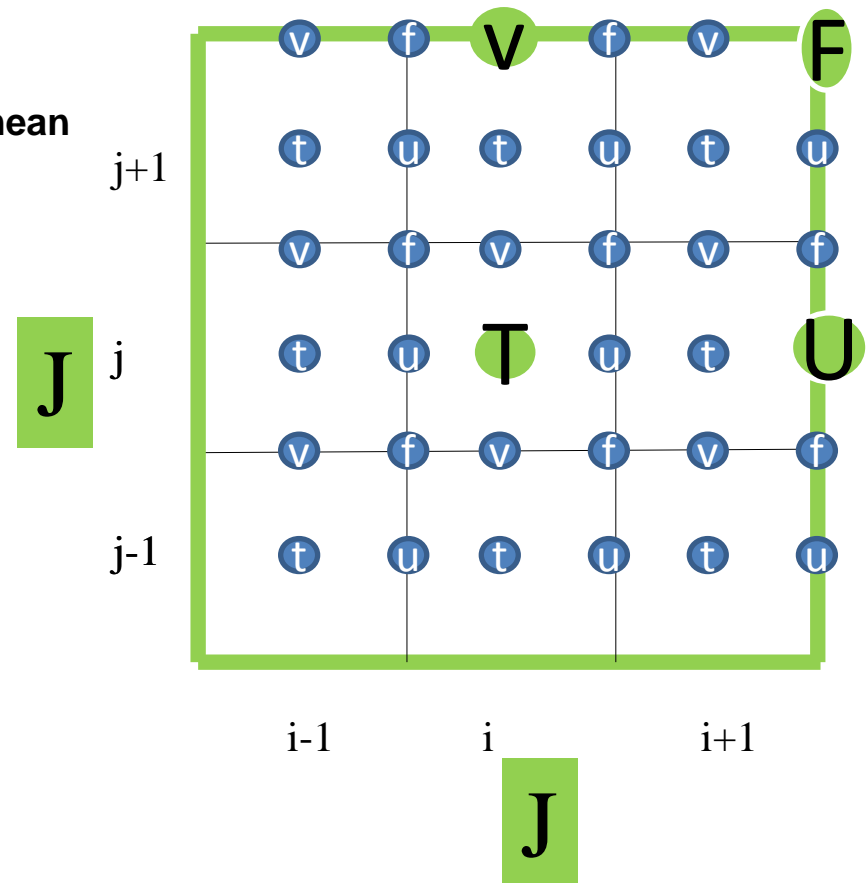
$$X_{CRS} = \frac{\sum e1t * e2t * e3t * X}{\sum e1t * e2t * e3t}$$

- Interface fluxes: weighted area sum

$$FU_{CRS} = \sum_{l=j-1}^{l=j+1} e2u(i+1, l) * u(i+1, l)$$

- Surfaces fluxes: weighted area sum

$$X_{CRS} = \sum e1t * e2t * X$$



age tracer

Passive tracer transport equation:

$$\frac{\partial X}{\partial t} + \mathbf{V}\nabla X = D_{\text{hor}} + D_{\text{ver}} + \text{Sources} - \text{Sink}$$

Need to coarsene physical variables to run age tracer on coarsened grid:

- $\mathbf{V}\nabla X$: need to coarsene fluxes at the grids interfaces
- D_{hor} : need to compute slopes and resolution dependent diffusion parameter on the coarsened grid for isopycnal diffusion
- D_{ver} : need to coarsene KZ
- Surface boundary condition: need to coarsene EmP

Coarsening methodology: Physical variables construction(2)

- Coarsening of KZ: 5 operators proposed:

1. $KZ_CRS = \text{MIN}(KZ)$

2. $KZ_CRS = \text{volume-weighted-mean} (KZ)$

3. $KZ_CRS = \text{MAX}(KZ)$

4. $KZ_CRS = 10^{**}(\text{volume-weighted-mean} (\text{LOG}(KZ)))$

5. $KZ_CRS = \text{MEDIANE}(KZ)$

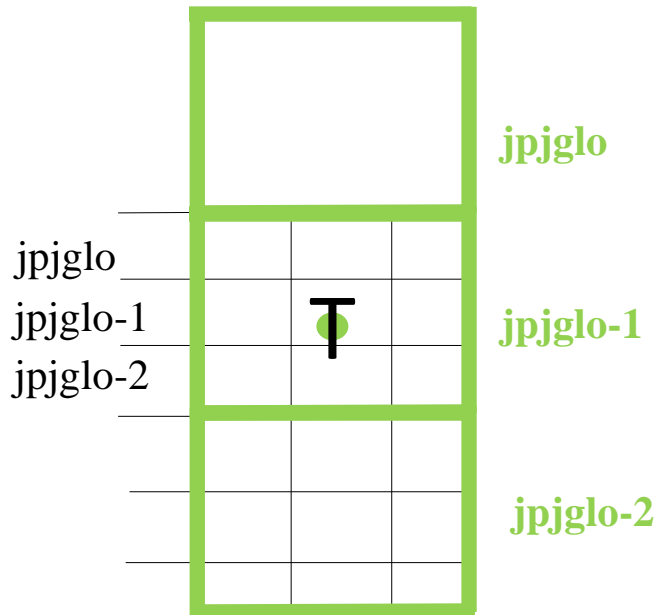
Actual limitation of the method

Why using a factor of 3 ?

Technical reasons

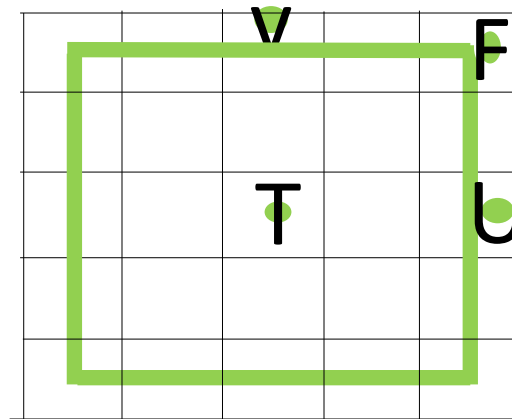
Global grids:

Pivots of mother and grand-mother grids should be superimposed



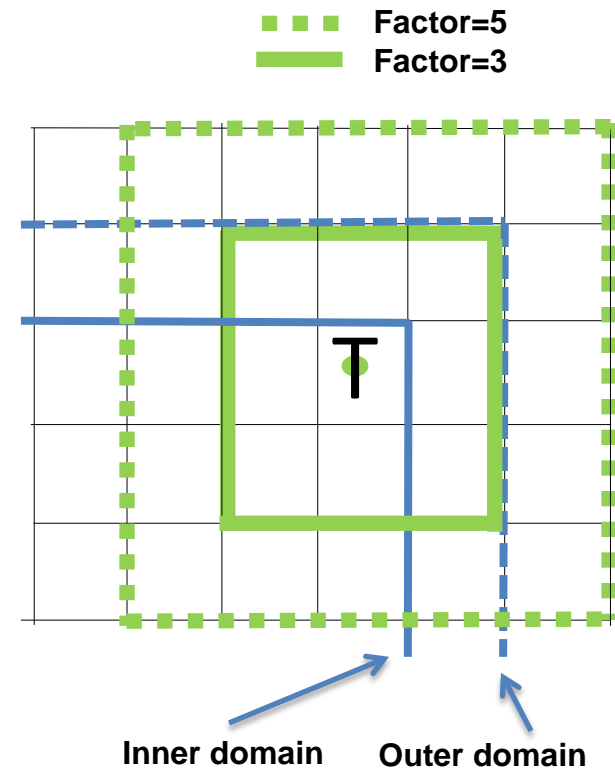
Pair factors

Need to take « half cells »



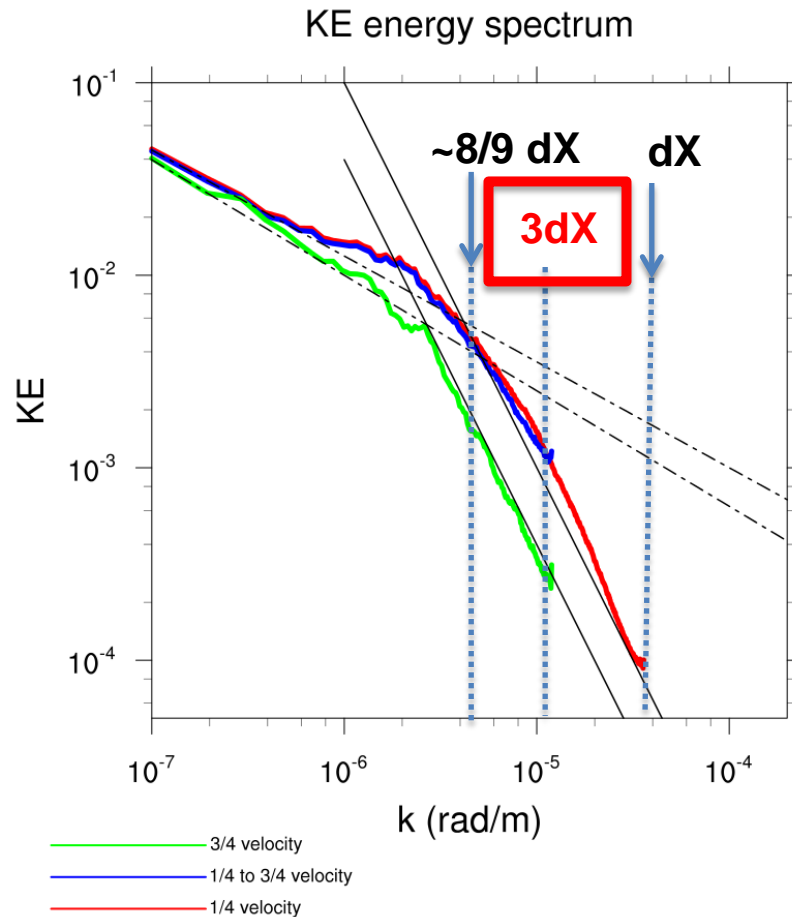
Domain decomposition:

Increase factor => increase overlapping bands



Why using a factor of 3 ?

Physical reason



- Stay below effective resolution