

Technical note :  
Description of the LOBSTER biogeochemical model  
implemented in the OPA system

Marina Levy, Anne-Sophie Kremer and Laurent Memery  
Laboratoire d'Océanographie Dynamique et de Climatologie (LODYC)  
Institut Pierre Simon Laplace (IPSL)  
December 2004

# Contents

<b>1</b>	<b>Introduction</b>	<b>3</b>
<b>2</b>	<b>Model equations</b>	<b>4</b>
2.1	The nitrogen NNPZD-DOM model . . . . .	4
2.2	The carbon and oxygen cycles . . . . .	8
2.3	The optical model . . . . .	10
<b>3</b>	<b>Code architecture</b>	<b>12</b>
3.1	cpp keys . . . . .	12
3.2	routines . . . . .	12

# 1 Introduction

The LOBSTER (LODYC Ocean Biogeochemical System for Ecosystem and Resources) model has been developed in LODYC since 1994 (Levy, 1996, Levy et al., 1998, Levy et al., 2001, Memery et al., 2002, Faugeras et al., 2003, Mahadevan et al., 2004, Levy et al., 2004, Kremer, 2004).

It consists of six prognostic variables expressed in nitrogen units (mmoleN/m<sup>3</sup>): nitrate (NO<sub>3</sub>), ammonium (NH<sub>4</sub>), phytoplankton (P), zooplankton (Z), detritus (D), and semi-labile dissolved organic matter (DOM). There is an option for three additional variables: Dissolved inorganic carbon (DIC), Alkalinity (ALK) and oxygen (OXY). There is also a model for light absorption.

LOBSTER describes the biogeochemical source and sink terms of these variables. LOBSTER is implemented in the OPA system (Madec et al., 1998). Tracer transport is achieved by the passive tracer transport module of OPA. Outputs are in netcdf format, and inputs are either analytic or in netcdf format. The model can be run online or offline. This note describes the model equations and their implementation in the OPA system. The reader is referred to the above mentioned references for justification on the model parameterizations.

## 2 Model equations

Different models are used for the euphotic layer (of constant depth) and below.

### 2.1 The nitrogen NNPZD-DOM model

#### The euphotic layer model

Figure 1 shows a schematic representation of the model in the euphotic layer. The model parameters are defined in Table 1.

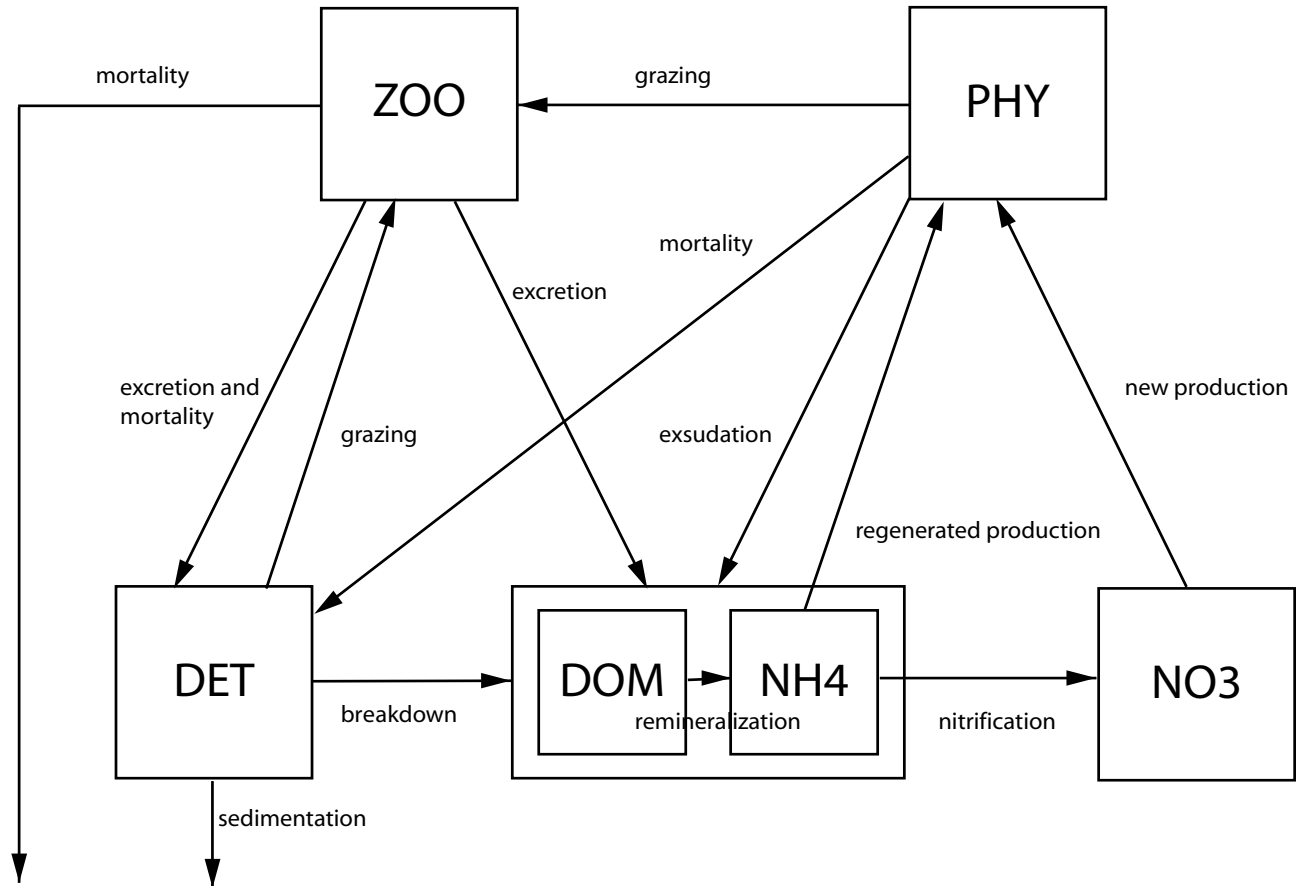


Figure 1: LOBSTER within the euphotic layer

- Nitrates  $NO_3$

$$S(NO_3) = -\mu_p L_I L_{NO_3} P + \mu_n NH_4 \quad (1)$$

The first term is new production, the second term is nitrification.

- Ammonium NH<sub>4</sub>

$$S(NH_4) = \gamma\mu_p L_I(L_{NO_3} + L_{NH_4})P + \alpha_z\mu_z Z + \alpha_d\mu_d D + \mu_{dom} DOM \\ + (1 - Rd_{phy}/Rd_{dom})((1 - \alpha_p)\mu_p P + (1 - \alpha_z)\mu_z Z + (1 - \alpha_d)\mu_d D) - \mu_p L_I L_{NH_4} P - \mu_n NH_4 \quad (2)$$

The source terms are phytoplankton exsudation, zooplankton excretion, remineralisation of DET and DOM, and adjustment term (due to the excess of nitrogen received by DOM). Sinks are due to regenerated production and nitrification.

- Phytoplankton P

$$S(P) = (1 - \gamma)\mu_p L_I(L_{NO_3} + L_{NH_4})P - m_p P - G_p \quad (3)$$

Sources are new and regenerated production. Sinks are exsudation, mortality and grazing. Light limitation is :

$$L_I = 1 - e^{-\frac{PAR}{K_{par}} \frac{R_{Chl:N}}{R_{chl:N}^{ref}}} \quad (4)$$

$$Chl = R_{Chl:N} P \text{ with } R_{Chl:N} = \frac{12Redf}{R_{C:Chl}} \quad (5)$$

$$R_{Chl:N} = \max(R_{Chl:N}^{min}, R_{Chl:N}^{max} - (R_{Chl:N}^{max} - R_{Chl:N}^{min}) \frac{\overline{PAR}}{PAR_{max}}) \quad (6)$$

Light limitation depends on the C:Chl, which depends on  $\overline{PAR}$  (Photosynthetic Available Radiation). Instantaneous PAR is used. This choice is consistent with daily forcings but not with forcings resolving the diurnal cycle. In such a case, PAR should represent a daily average.

Nutrient limitation is as in Fasham et al. (1990):

$$L_{NO_3} = \frac{NO_3}{NO_3 + K_{no_3}} e^{-\psi NH_4} \quad (7)$$

$$L_{NH_4} = \frac{NH_4}{NH_4 + K_{nh_4}} \quad (8)$$

- Zooplankton Z

$$S(Z) = a_z(G_p + G_d) - m_z Z^2 - \mu_z Z \quad (9)$$

Zooplankton grazes phytoplankton (Gp) and detritus (Gd). The non-assimilated part of this grazing is lost as detritus. Zooplankton mortality is quadratic. Part of this term (1-f<sub>z</sub>) is instantaneously exported. The last term corresponds to excretion, in the form of ammonium ( $\alpha_z$ ), and of DOM (1- $\alpha_z$ ). p is the preference for phytoplankton (Fasham, 1990).

$$G_p = g_z \frac{pP}{K_z + pP + (1-p)D} Z \quad (10)$$

$$G_d = g_z \frac{(1-p)D}{K_z + pP + (1-p)D} Z \quad (11)$$

$$p = \frac{\tilde{p}P}{(\tilde{p}P + (1-\tilde{p})D)} \quad (12)$$

- Detritus D

$$S(D) = (1 - a_z)(G_p + G_d) + m_p P + f_z m_z Z^2 - G_d - \mu_d D - V_d \partial_z D \quad (13)$$

Detritus are produced by zooplankton fecal pellets and phytoplankton and zooplankton mortality. They are grazed by zooplankton, and remineralised to NH<sub>4</sub> or dissociated into DOM. They fall at the speed V<sub>d</sub> (sedimentation).

- Dissolved organic matter DOM

$$S(DOM) = \gamma(1 - \mu_p)L_I(L_{NO_3} + L_{NH_4})P + (1 - \alpha_z)\mu_z Z + (1 - \alpha_d)\mu_d D - \mu_{dom}DOM \\ - (1 - Rd_{phy}/Rd_{dom})((1 - \alpha_p)\mu_p P + (1 - \alpha_z)\mu_z Z + (1 - \alpha_d)\mu_d D) \quad (14)$$

The last term is the adjustment flux du to the excess source of nitrogen.

Table 1: Parameters for the euphotic layer model. Values have been set for the northeast Atlantic (Levy et al., 2004).

parameter name	symbol	value	unit	namelist name
Nitrate limitation half-saturation value	$K_{no_3}$	0.7	$mmole\ m^{-3}$	akno3
Ammonium limitation half-saturation value	$K_{nh_4}$	0.001	$mmole\ m^{-3}$	aknh4
Inhibition of nitrate uptake by ammonium	$\psi$	3		psinut
Light limitation half-saturation value	$K_{par}$	33.	$W\ m^{-2}$	aki
Phytoplankton maximal growth rate	$\mu_p$	$1.21\ 10^{-5}$	$s^{-1}$	tmumax
Phytoplankton exsudation rate	$\gamma$	0.05		rgamma
Phytoplankton mortality rate	$m_p$	$5.80\ 10^{-7}$	$s^{-1}$	tmminp
Grazing half-saturation value	$K_z$	1.	$mmole\ m^{-3}$	aks
Zooplankton maximal grazing rate	$g_z$	$9.26\ 10^{-6}$	$s^{-1}$	taus
Assimilated food fraction by zooplankton	$a_z$	0.7		1-rpnaz,1-rpand
Preference for phytoplankton	$\tilde{p}$	0.5		0.5
Zooplankton excretion rate	$\mu_z$	$5.80\ 10^{-7}$	$s^{-1}$	tauzn
NH4 fraction of zooplankton excretion	$\alpha_z$	0.75		fzoolab
Zooplankton mortality rate	$m_z$	$2.31\ 10^{-6}$	$s^{-1}\ mmole^{-1}\ m^3$	tmminz
Fraction of slow sinking mortality	$f_z$	1.		fdbod
Nitrification rate	$\mu_n$	$5.80\ 10^{-7}$	$s^{-1}$	taunn
DOM breakdown rate	$\mu_{dom}$	$3.86\ 10^{-7}$	$s^{-1}$	taudomn
NH4 fraction of detritus dissolution	$\alpha_d$	0.2		fdetlab
Detritus sedimentation speed	$V_d$	$3.47\ 10^{-5}$	$m\ s^{-1}$	vsed
Detritus remineralization rate	$\mu_d$	$5.78\ 10^{-7}$	$s^{-1}$	taudn
C/N Redfield Ratio for the Phytoplankton	$Rd_{phy}$	6.56	$molC\ mole\ N^{-1}$	redf
C/N Redfield Ratio for DOM	$Rd_{dom}$	12	$molC\ mole\ N^{-1}$	reddom
O/N Redfield Ratio	$Rd_{oxy}$	10.75		refoxy
O/N for nitrification	$O/N_{nit}$	2		2
Minimum C:Chl ratio	$R_{C:Chl}^{min}$	30.	$mgC/mgChl$	rcchlmin
Maximum C:Chl ratio	$R_{C:Chl}^{max}$	75.	$mgC/mgChl$	rcchlmax
Reference C:Chl ratio	$R_{C:Chl:N}^{ref}$	60.	$mgC/mgChl$	rcchlref
Max PAR for Chl:N ratio	$PAR_{max}$	5	$Wm^{-2}$	aparmax
Rain ratio organic carbon vs CaCO3	$\rho_{caco3}$	0.1		rhocaco3

### The model below the euphotic layer

Slow decay to nitrate, detritus sedimentation, and remineralization of zooplankton mortality are considered. Model parameters are in Table 2.

$$S(NO_3) = \tau_r (NH_4 + P + Z + D + DOM) + \partial_z f \quad (15)$$

$$S(NH_4) = -\tau_r NH_4 \quad (16)$$

$$S(P) = -\tau_r P \quad (17)$$

$$S(Z) = -\tau_r Z \quad (18)$$

$$S(D) = -\tau_r D - V_d \partial_z D \quad (19)$$

$$S(DOM) = -\tau_r DOM \quad (20)$$

Remineralization flux  $f(z)$  and instantaneous export  $f(z_{bio})$  are defined by :

$$f(z) = f(z_{bio}) \left( \frac{z}{z_{bio}} \right)^{-r} \quad (21)$$

$$f(z_{bio}) = \int_0^{z_{bio}} (1 - f_z) m_z Z^2 dz \quad (22)$$

Condition of no-deposition :

$$f(z_{bottom}) = 0. \quad (23)$$

Table 2: Parameters for the model below the euphotic layer

parameter name	symbol	value	unit	code name
Depth of euphotic layer	$z_{bio}$	150	$m$	<code>jpkb</code>
Bottom topography	$z_{bottom}$	<i>variable</i>	$m$	<code>tmask</code>
Remineralization rate at depth	$\tau_r$	$5.80 \cdot 10^{-7}$	$s^{-1}$	<code>tminr</code>
exponential decay for nitrogen	$r$	0.858		<code>xhr</code>
exponential decay for carbon and oxygen	$rc$	0.1		<code>xhrc</code>

## 2.2 The carbon and oxygen cycles

The carbon and oxygen cycles can be computed with no retroaction on the nitrogen cycle. When this option is activated, three variables are added : Dissolved inorganic carbon (DIC), alkalinity (ALK) and oxygen (OXY). Coupling between the nitrogen, carbon and oxygen cycles is done with constant Redfield ratios (O:C:N -175:102:16, except for DOM C:N=12).

### The euphotic layer model

- Dissolved inorganic carbon DIC

$$S(DIC) = -\mu_p L_I (L_{NO_3} + L_{NH_4}) Rd_{phy} (1 + \rho_{caco3}) P + \alpha_z \mu_z Rd_{phy} Z + \alpha_d \mu_d Rd_{phy} D \\ + \mu_{dom} Rd_{dom} DOM + flux_{airmer} \quad (24)$$

DIC is produced by the remineralisation of organic matter. DIC is used for photosynthesis of organic matter, and for the formation of coccolithophore cells (increase of PP by a factor of  $1 + \rho_{caco3}$ ). DIC can be lost to the atmosphere by gaz exchange.



- Alkalinity ALK

$$S(ALK) = \mu_p L_I L_{NO_3} P - 2\rho_{caco3} \mu_p L_I (L_{NO_3} + L_{NH_4}) R_{dphy} P \quad (25)$$

Assimilation of one mole of NO<sub>3</sub> increases alkalinity of one mole. The effect of ammonium is neglected. CaCO<sub>3</sub> precipitation decreases alkalinity.

- Oxygen OXY

$$S(OXY) = \mu_p L_I (L_{NO_3} + L_{NH_4}) R_{d_{oxy}} P - (R_{d_{oxy}} - O/N_{nit}) (\alpha_p \mu_p P + \alpha_z \mu_z Z + \alpha_d \mu_d D) - (O/N_{nit}) \mu_n NH_4 + flux_{airmer} \quad (26)$$

Oxygen is produced during photosynthesis. It is lost during respiration, remineralisation and nitrification. Oxygen production by photosynthesis follows the redfield ratio ( $R_{d_{oxy}}$ ), while nitrification is with a ration ( $O/N_{nit}$ )=2. Ammonification is done with the ratio ( $R_{d_{oxy}} - O/N_{nit}$ ). Oxygen is also exchanged at the surface.

- Gaz exchanges

Fluxes , in mol.m<sup>-2</sup>.μatm<sup>-1</sup>, are :

$$F = k(S_c, u) \text{sol}(SST, SSS) (P_{gaz}^{atm} - P_{gaz}^{ocean}) \quad (27)$$

$P_{gaz}^{atm}$  and  $P_{gaz}^{ocean}$  are CO<sub>2</sub> et O<sub>2</sub> partial pressure in the atmosphere and ocean, respectively (in μatm).  $k(S_c, u)$  is the gaz transfert velocity (m.s<sup>-1</sup>), proportional to the Schimdt number  $S_c$  and to the wind speed( $u$ ). Wanninkhof (1992) parameterisation is used for  $k(S_c, u)$  with  $\nu$  the kinematic viscosity and  $D$  the molecular diffusion :

$$k(S_c, u) = 0.31 u^2 (S_c / 660)^{-0.5} \quad \text{avec } S_c = \nu / D$$

Solubility is computed according to Weiss (1974).  $P_{CO_2}^{atm}$  is set to 375 microatm and  $P_{O_2}^{atm}$  to 0.20946 atm.  $P_{CO_2}^{ocean}$  is computed from DIC et de ALK, using the carbonates dissociation constants of Dickson et Millero (1987).  $P_{O_2}^{ocean}$  is proportionnal to O<sub>2</sub>.

### The model below the euphotic layer

The main process is the remineralization of DIC from organic matter.

$$S(DIC) = \tau_r (P + Z + D) R_{dphy} + \tau_r R_{d_{dom}} DOM + R_{dphy} \partial_z f + \partial_z f_{CaCO_3} \quad (28)$$

$$S(ALK) = \tau_r (P + Z + D + DOM) - \partial_z f + 2\partial_z f_{CaCO_3} \quad (29)$$

$$S(OXY) = -\tau_r (P + Z + D + DOM) Rd_{oxy} - \tau_r (O/N)_{nit} NH_4 - Rd_{oxy} \partial_z f \quad (30)$$

The remineralization flux  $f_{CaCO_3}(z)$  and the export of  $CaCO_3$   $f_{CaCO_3}(z_{bio})$  are defined as:

$$f_{CaCO_3}(z) = f_{CaCO_3}(z_{bio}) \left( \frac{z}{z_{bio}} \right)^{-rc} \quad (31)$$

$$f_{CaCO_3}(z_{bio}) = \int_0^{z_{bio}} \rho_{caco3} (\mu_p L_I (L_{NO_3} + L_{NH_4}) Rd_{phy} P) dz \quad (32)$$

It is assumed that the  $CaCO_3$  flux is instantaneously exported to the deep ocean. The bottom condition is:

$$f_{CaCO_3}(z_{bottom}) = 0. \quad (33)$$

### 2.3 The optical model

Two wavelenght are considered. Model parameters are in Table 3.  $Q_{sol}$  is the solar radiation at the sea surface.

$$PAR = PAR_r + PAR_b$$

- Light absorption in red:

$$PAR_r(z) = PAR_r(z - dz) e^{-k_r dz}$$

$$PAR_r(0) = \frac{0.43}{2} Q_{sol}$$

- Light absorption in blue:

$$PAR_b(z) = PAR_b(z - dz) e^{-k_b dz}$$

$$PAR_b(0) = \frac{0.43}{2} Q_{sol}$$

- Absorption coefficient in red:

$$k_r = k_{r0} + \chi_{rp} Pig^e$$

- Absorption coefficient in blue:

$$k_b = k_{b0} + \chi_{bp} Pig^{e_b}$$

- Absorbing pigments :

$$Pig = \frac{Chl}{r_{pig}}$$

Table 3: Optical parameters

symbol	value	unit	namelist
$k_{r0}$	0.225	$m^{-1}$	xkr0
$k_{b0}$	0.0232	$m^{-1}$	xkg0
$\chi_{rp}$	0.037	$m^{-1} (mgChlm^{-3})^{-e_r}$	xkrp
$\chi_{bp}$	0.074	$m^{-1} (mgChlm^{-3})^{-e_b}$	xkrg
$e_r$	0.629		xlr
$e_b$	0.674		xlg
$r_{pig}$	0.7		rpig

## 3 Code architecture

### 3.1 cpp keys

The LOBSTER model is activated with the cpp key `key-trc-lobster1`. The key `key-trc-passivetr` is needed to activate the inputs, outputs, initialisation and transport.

An additional key `key-trc-carbon` activates the carbon and oxygen module. This automatically sets the number of variables (`jptra=6` or `jptra=9`) and the names of the variables. The model requires a specific `namelist.bio` in which the model parameters are set.

Specific diagnostic (in particular biological trends cumulated in the euphotic layer) have been coded and are activated with the key `key-trc-diaadd`. All 3D biological trends are saved when the key `key-trc-diabio` is activated.

### 3.2 routines

Specific initialisation is needed for the model. `trcctl.lobster1.h` are some controls, `trclsm.lobster1.h` reads the `namelist.bio` for LOBSTER1. These pieces of code are included in the routine `trcctl` and `trclsm` when the LOBSTER key is activated.

The routine for LOBSTER are called by `trcsms`. In order : `trcopt` (optical model), `trcbio.lobster1.h` (biological model), `trcsed` (detritus sedimentation), `trcexp` (instantaneous export), and when the carbon is activated, `trcalexp` (instantaneous export of  $Caco_3$ ), `p4zche` (chemical constants), `p4zflx` (air sea fluxes).

## References

- [1] **Dickson, A.G., Millero, F.J.**, 1987, A comparison of the equilibrium constants for the dissociation of carbonic acid in seawater media, *Deep Sea Res.*, 34, 1733-1743.
- [2] **Fasham, M.J.R., Ducklow, H.W., McKelvie, S.M.**, 1990, A nitrogen-based model of plankton dynamics in the oceanic mixed layer, *J. Mar. Res.*, 48, 591-639.
- [3] **Faugeras, B., Levy, M., Memery, L., Verron, J., Blum, J. and I. Charpentier**, 2003, Can biogeochemical fluxes be recovered from nitrate and chlorophyll data ? a case study assimilating data in the Northwestern Mediterranean sea at the JGOFS-DYFAMED station, *J. Mar. Sys.*, vol 40-41, 99-125.
- [4] **Kremer, A.-S.**, 2004, Impact des processus rapides et de petite echelle sur la pCO<sub>2</sub> en Atlantic Nord, stage de DEA de l'université Paris VI.
- [5] **Levy, M.**, 1996, Modélisation des processus biogéochimiques en Méditerranée nord-occidentale, cycle saisonnier et variabilité mésoéchelle, thèse de doctorat de l'université Paris VI.
- [6] **Levy, M. , Mémery, L., and J.-M. André**, 1998. Simulation of primary production and export fluxes in the NW Mediterranean Sea, *J. Mar. Res.* , 56, 197-238.
- [7] **Levy, M., P. Klein, A.-M. Treguier**, 2001, Impacts of sub-mesoscale physics on phytoplankton production and subduction, *J. Mar. Res.*, 59,535-565, DOI: 10.1357/002224001762842181.
- [8] **Levy, M., Gavart, M., Mémery, L., Caniaux, G., Paci, A.**, 2004, A 4D-mesoscale map of the spring bloom in the northeast Atlantic (POMME experiment): results of a pronostic model, *JGR*, in press.
- [9] **Mahadevan, A, Levy, M. and L. Memery**, 2004. Mesoscale variability of sea surface PCO<sub>2</sub>: What does it respond to ? *Glob. Biogeochem. Cyc.*, Vol. 18, No. 1, GB1017 10.1029/2003GB002102.
- [10] **Memery, L., Levy, M, Verant, S and L. Merlivat**, 2002, The relevant time scales in estimating the air-sea CO<sub>2</sub> exchange in a mid-latitude region, *Deep-Sea Res. II*, 49, 2067-2092, doi:10.1016/S0967-0645(02)00028-0.
- [11] **Wanninkhof, R.**, 1992, Relationship between wind speed and gas exchange over the ocean,*J. Geophys. Res.*, 97, 7373-7382.
- [12] **Weiss, R.F.**, 1974, Carbon dioxide in water and seawater: the solubility of a non-ideal gas, *Marine Chemistry*, 2, 203-215.